

## Precision Neutron Diffraction Structure Determination of Protein and Nucleic Acid Components. XIII. Molecular and Crystal Structure of the Amino Acid L-Glutamine\*

BY THOMAS F. KOETZLE,<sup>†</sup> MICHEL N. FREY,<sup>‡</sup> MOGENS S. LEHMANN<sup>§</sup> AND WALTER C. HAMILTON<sup>||</sup>

*Chemistry Department, Brookhaven National Laboratory, Upton, New York 11973, U.S.A.*

(Received 14 May 1973; accepted 15 June 1973)

A neutron diffraction study of L-glutamine,  $C_5H_{10}N_2O_3$ , has been carried out. Space group  $P2_12_12_1$ ;  $Z=4$ ;  $a=16.020$  (10),  $b=7.762$  (6),  $c=5.119$  (4) Å. Full-matrix least-squares refinements, including anisotropic temperature factors for all atoms and an extinction correction, have led to a conventional  $R$  value of 0.032. The neutron-diffraction results confirm the structure found by X-ray diffraction [Cochran, W. & Penfold, B. R. (1952). *Acta Cryst.* **5**, 644–653] to be essentially correct; the main new feature here is the location of all hydrogen atoms with a precision of 0.005 Å. The glutamine zwitterions are in the keto form, as expected, and the crystal structure is stabilized by a three-dimensional network of  $N-H \cdots O$  hydrogen bonds. One such hydrogen bond is formed by each of the five hydrogens attached to nitrogen.

### Introduction

A neutron diffraction study of L-glutamine has been carried out as part of a series of investigations of amino acids, small peptides, nucleosides and nucleotides, the aim of which is to provide precise information about hydrogen-atom stereochemistry and hydrogen bonding in these systems.

The structure of L-glutamine has previously been studied with X-ray diffraction techniques by Cochran & Penfold (1952).

### Crystal data

#### L-Glutamine

$C_5H_{10}N_2O_3$ ; F.W. 146.15

Orthorhombic;  $a=16.020$  (10),  $b=7.762$  (6),  $c=5.119$  (4) Å

Space group  $P2_12_12_1$ ;  $Z=4$

Density  $\rho_{\text{calc}}=1.525$  g cm $^{-3}$ ,  $\rho_{\text{obs}}=1.54$  g cm $^{-3}$  (Cochran & Penfold, 1952)

Absorption coefficient  $\mu=2.37$  cm $^{-1}$

### Experimental

Large crystals of L-glutamine were grown by introducing seed crystals into a saturated aqueous solution at 65 °C and cooling to room temperature over a period

of three days in a thermostatted bath. The seeds were allowed to continue to grow for approximately one week. The crystals are colorless needles elongated in the  $c$  direction with major bounding faces {110}. A well-formed sample, having maximum and minimum linear dimensions of 4 and 0.4 mm and a volume of 1.46 mm $^3$ , was mounted on a four-circle diffractometer at the Brookhaven High-Flux Beam Reactor. The cell constants were refined by least-squares techniques from the diffractometer setting angles observed for 24 reflections well distributed in reciprocal space, and these cell parameters agree to within 0.4% with the less precise values found by Cochran & Penfold (1952). Intensity data were collected automatically under the Multi-Spectrometer Control System (Beaucage, Kelley, Ophir, Rankowitz, Spinrad & Van Norton, 1966) with a  $\theta-2\theta$  step-scan technique and a crystal-monochromated neutron beam of wavelength  $\lambda=1.014$  Å. Intensities were measured for 1983  $hkl$  and  $\bar{h}\bar{k}\bar{l}$  reflections with  $d^* < 1.35$  Å $^{-1}$ ; these were corrected for background by a method described by Lehmann, Hamilton & Larsen (1972). An absorption correction computed by numerical integration over a Gaussian grid was applied to the observed intensities. The absorption coefficient  $\mu=2.37$  cm $^{-1}$  was calculated with the incoherent scattering cross-section for hydrogen assumed to be 40 barns, and transmission coefficients ranged from 0.80 to 0.92.

Squared observed structure factors were obtained as  $F_o^2=I \sin 2\theta$ , and were averaged for symmetry-related reflections. The agreement factor is  $R_c=\sum |F_o^2-\bar{F}_o^2|/\sum F_o^2=0.044$ , where  $\bar{F}_o^2$  is the mean value for the symmetry-related reflections. Of 941 unique reflections measured, 136 reflections with  $\bar{F}_o^2 < 3\sigma_{\text{count}}(\bar{F}_o^2)$  were omitted from subsequent refinements.

### Structure refinement

The structure was refined by full-matrix least-squares techniques, starting from the atomic positions found by

\* Research performed under the auspices of the U.S. Atomic Energy Commission. Part XII: 'A Study of Hydrogen Bonding in the Purine-Pyrimidine Base Pair 9-Methyladenine-1-Methylthymine' by Frey, Koetzle, Lehmann & Hamilton, *J. Chem. Phys.* (1973), **59**, 915–924.

† U.S. National Institutes of Health Postdoctoral Fellow, 1970–72.

‡ Chargé de Recherches au C.N.R.S. On leave from Laboratoire de Cristallographie Minéralogie, Université 14, Caen, France. Holder of a grant from NATO.

§ On leave from Kemisk Institut, Århus Universitet, Denmark, and supported in part by a grant from Statens Naturvidenskabelige Forskningsråd, Copenhagen, Denmark. Present address: Institut v. Laue-Langevin, Avenue des Martyrs, 38 Grenoble-Gare, France.

|| Deceased.

Cochran & Penfold and applying the transformation  $x + \frac{1}{4}, y, z - \frac{1}{4}$  to these coordinates. Neutron scattering lengths used were  $b_C = 0.6625$ ,  $b_H = -0.3723$ ,  $b_N = 0.940$ , and  $b_O = 0.575$  ( $10^{-12}$  cm). The quantity minimized in the refinements was  $\sum w|F_o^2 - |F_c|^2|^2$ , and weights were chosen as  $w = 1/\sigma^2(F_o^2)$ , with  $\sigma^2(F_o^2) = \sigma_{\text{count}}^2(F_o^2) + (0.02 F_o^2)^2$ , and with  $\sigma_{\text{count}}^2(F_o^2)$  based on counting statistics. In all, 182 parameters were refined,

including anisotropic temperature factors for all atoms and an extinction correction parameter (Zachariasen, 1967). No parameter shifted by more than  $0.1\sigma$  in the last cycle and the final unweighted and weighted  $R$  values based on  $F^2$  are

$$R_F^2 = [\sum |F_o^2 - |F_c|^2|^2] / \sum F_o^2 = 0.041$$

$$R_{wF}^2 = \{[\sum w|F_o^2 - |F_c|^2|^2] / \sum wF_o^4\}^{1/2} = 0.049.$$

Table 1. Fractional coordinates ( $\times 10^4$ ) and thermal parameters ( $\times 10^4$ )

The form of the anisotropic Debye-Waller factor is

$$\exp[-2\pi^2(u_{11}h^2a^{*2} + u_{22}k^2b^{*2} + u_{33}l^2c^{*2} + 2u_{12}ha^*kb^* + 2u_{13}ha^*lc^* + 2u_{23}kb^*lc^*)].$$

	<i>x</i>	<i>y</i>	<i>z</i>	<i>u</i> <sub>11</sub>	<i>u</i> <sub>22</sub>	<i>u</i> <sub>33</sub>	<i>u</i> <sub>12</sub>	<i>u</i> <sub>13</sub>	<i>u</i> <sub>23</sub>
C	4924 (1)	5851 (2)	7520 (4)	172 (8)	159 (7)	174 (10)	12 (6)	-13 (7)	-2 (7)
C <sup>a</sup>	4104 (1)	6659 (2)	6290 (4)	168 (8)	138 (7)	173 (9)	-3 (6)	-14 (7)	-12 (8)
C <sup>b</sup>	3418 (1)	5298 (2)	6154 (4)	160 (8)	167 (8)	215 (10)	-23 (6)	43 (8)	-23 (8)
C <sup>y</sup>	3635 (1)	3762 (2)	4451 (4)	181 (9)	164 (8)	235 (11)	-32 (6)	68 (8)	-43 (8)
C <sup>d</sup>	2978 (1)	2369 (2)	4512 (4)	189 (7)	128 (7)	216 (10)	-28 (7)	27 (8)	12 (7)
N	4231 (1)	7500 (2)	3691 (3)	220 (6)	161 (6)	190 (7)	-9 (5)	-12 (6)	22 (5)
N <sup>e2</sup>	3054 (1)	1162 (2)	2680 (3)	341 (8)	207 (6)	330 (9)	-52 (6)	56 (8)	-102 (7)
O <sup>1</sup>	5499 (1)	5640 (3)	5665 (5)	208 (10)	501 (14)	273 (13)	98 (10)	49 (10)	108 (12)
O <sup>2</sup>	4921 (1)	5407 (3)	9618 (4)	297 (11)	244 (10)	161 (12)	71 (9)	-35 (9)	41 (9)
O <sup>c1</sup>	2419 (1)	2352 (2)	6153 (5)	281 (10)	215 (9)	352 (14)	-84 (9)	150 (11)	-37 (10)
H <sup>1</sup>	4576 (2)	6716 (4)	2447 (9)	359 (19)	325 (18)	327 (21)	46 (15)	72 (19)	-4 (20)
H <sup>2</sup>	3673 (2)	7740 (5)	2795 (9)	367 (21)	397 (19)	322 (23)	29 (17)	-74 (19)	68 (19)
H <sup>3</sup>	4541 (2)	8667 (4)	3995 (9)	419 (21)	255 (17)	362 (25)	-63 (15)	-21 (21)	53 (18)
H <sup>x</sup>	3921 (2)	7678 (4)	7648 (9)	360 (19)	247 (16)	341 (21)	48 (15)	11 (17)	-101 (19)
H <sup>B1</sup>	3299 (3)	4860 (5)	8165 (9)	534 (25)	470 (23)	288 (24)	-162 (19)	123 (20)	17 (19)
H <sup>B2</sup>	2843 (2)	5904 (5)	5444 (11)	229 (17)	345 (19)	658 (31)	52 (14)	-63 (20)	-34 (21)
H <sup>y1</sup>	3744 (3)	4138 (5)	2425 (10)	762 (33)	458 (24)	324 (26)	-287 (23)	242 (26)	-65 (22)
H <sup>y2</sup>	4208 (2)	3169 (5)	5133 (13)	266 (19)	389 (21)	977 (45)	62 (16)	-96 (26)	-154 (26)
H <sup>e22</sup>	3543 (3)	1160 (5)	1438 (10)	479 (24)	360 (19)	471 (28)	-44 (19)	123 (25)	-118 (21)
H <sup>e21</sup>	2669 (3)	147 (5)	2639 (10)	513 (26)	276 (16)	559 (29)	-122 (18)	9 (24)	-90 (22)

Table 2. Observed and calculated squared structure factors

The quantities given are  $100F_o^2$ ,  $100\sigma(F_o^2)$ ,  $100|F_c|^2$ . Values of  $F_o^2$  are corrected for extinction.

K	M	F <sub>O</sub>	SIG	F <sub>C</sub>	K	M	F <sub>O</sub>	SIG	F <sub>C</sub>	K	M	F <sub>O</sub>	SIG	F <sub>C</sub>	K	M	F <sub>O</sub>	SIG	F <sub>C</sub>	K	M	F <sub>O</sub>	SIG	F <sub>C</sub>	K	M	F <sub>O</sub>	SIG	F <sub>C</sub>							
1	10	1588	41	1532	1	10	1730	49	1748	4	7	351	14	357	0	9	230	62	366	3	7	169	16	138	0	8	251	5	5423	9	2	594	47	698		
2	4	2542	55	2408	1	4	247	23	257	0	13	1174	23	1184	0	9	270	27	275	0	13	1203	16	1208	0	13	1302	19	1307	0	12	533	24	587		
3	6	813	27	809	1	4	15	95	103	0	10	2700	111	1101	0	9	215	12	115	0	9	347	10	1049	0	10	3500	111	1101	0	11	203	24	287		
4	10	3750	89	3773	1	4	2208	111	2088	0	9	1358	78	1384	0	12	298	20	250	0	13	1255	14	1244	0	13	1302	14	1293	0	12	303	14	308		
5	12	3442	12	3275	1	10	1265	44	1254	0	12	355	65	357	0	13	615	43	812	0	13	1213	47	1322	0	13	1312	47	1322	0	12	303	47	308		
6	16	1380	63	1405	1	10	1200	21	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	1304	0	12	303	43	309		
7	1	9	174	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309			
8	20	2492	12	2754	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309		
9	1	7	94	9	80	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
10	6	9	174	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309			
11	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
12	20	2492	12	2754	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309		
13	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
14	5	12	1900	55	1893	1	5	12	1900	55	1893	0	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309
15	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
16	3	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
17	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
18	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
19	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
20	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
21	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
22	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
23	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
24	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
25	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
26	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
27	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304	0	13	1302	43	309	0	12	303	43	309	
28	1	10	1200	46	1198	1	10	1200	46	1198	0	12	1900	21	1898	0	13	693	43	920	0	13	1254	43	1304											

The conventional  $R$  value is  $R_F = 0.032$ . The extinction parameter converged to a value  $g = 1.7(4) \times 10^3$ , corresponding to a maximum correction of 7% on  $F^2$  for the 120 reflection. The refined atomic coordinates are given in Table 1 and observed and calculated squared

Table 3. Covalent bond distances ( $\text{\AA}$ ) and angles ( $^\circ$ )

Distance	Neutron		X-ray*
	Uncorrected	Corrected for thermal motion	(Cochran & Penfold, 1952)
$C^\alpha-C^\alpha$	1.537 (2)	1.540	1.52
$C^\alpha-C^\beta$	1.525 (2)	1.528	1.50
$C^\beta-C^\gamma$	1.517 (3)	1.520	1.47
$C^\gamma-C^\delta$	1.509 (2)	1.511	1.54
$C^\alpha-N$	1.496 (2)	1.498	1.51
$C^\delta-N^{e2}$	1.332 (2)	1.334	1.28
$C-O^1$	1.238 (3)	1.240	1.27
$C-O^2$	1.260 (3)	1.262	1.22
$C^\delta-O^{e1}$	1.228 (3)	1.231	1.27
$C^\alpha-H^\alpha$	1.093 (4)	1.097	
$C^\beta-H^{\beta 1}$	1.101 (5)	1.110	
$C^\beta-H^{\beta 2}$	1.096 (4)	1.105	
$C^\gamma-H^{\gamma 1}$	1.091 (5)	1.104	
$C^\gamma-H^{\gamma 2}$	1.085 (5)	1.100	
$N-H^1$	1.040 (4)	1.044	
$N-H^2$	1.023 (4)	1.027	
$N-H^3$	1.045 (4)	1.048	
$N^{e2}-H^{e21}$	1.001 (4)	1.004	
$N^{e2}-H^{e22}$	1.008 (5)	1.010	
X-ray† (Cochran & Penfold, 1952)			
Angle			
$C^\alpha-C-O^1$	118.7 (2)	116	
$C^\alpha-C-O^2$	114.6 (2)	116	
$O^1-C-O^2$	126.7 (2)	128	
$C-C^\alpha-C^\beta$	110.3 (1)	114	
$C-C^\alpha-N$	110.2 (1)	111	
$C^\beta-C^\alpha-N$	111.1 (1)	110	
$C-C^\alpha-H^\alpha$	108.7 (2)		
$C^\beta-C^\alpha-H^\alpha$	109.7 (2)		
$N-C^\alpha-H^\alpha$	106.6 (2)		
$C^\alpha-C^\beta-C^\gamma$	114.0 (1)	113	
$C^\alpha-C^\beta-H^{\beta 1}$	107.2 (3)		
$C^\alpha-C^\beta-H^{\beta 2}$	108.8 (2)		
$C^\gamma-C^\beta-H^{\beta 1}$	109.5 (3)		
$C^\gamma-C^\beta-H^{\beta 2}$	109.8 (3)		
$H^{\beta 1}-C^\beta-H^{\beta 2}$	107.3 (4)		
$C^\beta-C^\gamma-C^\delta$	113.1 (1)	115	
$C^\beta-C^\gamma-H^{\gamma 1}$	111.8 (2)		
$C^\beta-C^\gamma-H^{\gamma 2}$	110.0 (3)		
$C^\delta-C^\gamma-H^{\gamma 1}$	108.9 (3)		
$C^\delta-C^\gamma-H^{\gamma 2}$	106.2 (2)		
$H^{\gamma 1}-C^\gamma-H^{\gamma 2}$	106.5 (5)		
$C^\gamma-C^\delta-N^{e2}$	115.2 (1)		
$C^\gamma-C^\delta-O^{e1}$	122.1 (2)	118	
$N^{e2}-C^\delta-O^{e1}$	122.7 (2)	123	
$C^\alpha-N-H^1$	111.2 (2)		
$C^\alpha-N-H^2$	111.0 (3)		
$C^\alpha-N-H^3$	108.1 (3)		
$H^1-N-H^2$	107.3 (4)		
$H^1-N-H^3$	110.2 (3)		
$H^2-N-H^3$	109.0 (3)		
$C^\delta-N^{e2}-H^{e21}$	120.8 (3)		
$C^\delta-N^{e2}-H^{e22}$	121.1 (3)		
$H^{e21}-N^{e2}-H^{e22}$	117.7 (4)		

\*  $\sigma = 0.02 \text{ \AA}$ .

†  $\sigma = 1^\circ$ .

structure factors are listed in Table 2. Calculations were performed on CDC 6600 computers with programs which have been described briefly by Schlempfer, Hamilton & La Placa (1971).

### The molecular structure

The glutamine molecule (Fig. 1) is a zwitterion in the keto form, as was found to be the case for L-asparagine in neutron-diffraction studies of L-asparagine  $\cdot \text{H}_2\text{O}$  (Ramanadham, Sikka & Chidambaram, 1972; Verbist, Lehmann, Koetzle & Hamilton, 1972). The atomic positions found earlier by X-ray diffraction have been confirmed by this study. The main new feature is the precise determination of the hydrogen-atom positions. Covalent bond distances and angles are given in Table 3; the maximum discrepancy between the neutron and X-ray values is 0.05 Å for distances and 4° for angles. Torsion angles calculated according to the IUPAC conventions (IUPAC-IUB Commission on Biochemical Nomenclature, 1970) are given in Table 4.

Table 4. Torsion angles ( $^\circ$ )

IUPAC designation		
$\varphi^1$	$C-C^\alpha-N-H^1$	44.6 (3)
$\varphi^2$	$C-C^\alpha-N-H^2$	164.0 (3)
$\varphi^3$	$C-C^\alpha-N-H^3$	- 76.5 (3)
$\psi^1$	$N-C^\alpha-C-O^1$	- 15.6 (2)
$\psi^2$	$N-C^\alpha-C-O^2$	167.0 (2)
$\chi^1$	$N-C^\alpha-C^\beta-C^\gamma$	66.1 (2)
$\chi^2$	$C^\alpha-C^\beta-C^\gamma-C^\delta$	175.5 (2)
$\chi^{3,1}$	$C^\beta-C^\gamma-C^\delta-O^{e1}$	- 13.3 (3)
$\chi^{3,2}$	$C^\beta-C^\gamma-C^\delta-N^{e2}$	167.2 (2)
$\chi^{4,2,1}$	$O^{e1}-C^\delta-N^{e2}-H^{e21}$	- 3.4 (4)
$\chi^{4,2,2}$	$O^{e1}-C^\delta-N^{e2}-H^{e22}$	- 175.6 (4)

The molecule includes two planar groups:  $C^\alpha$ ,  $C$ ,  $O^1$ ,  $O^2$  and  $C^\gamma$ ,  $C^\delta$ ,  $O^{e1}$ ,  $N^{e2}$ ,  $H^{e21}$ ,  $H^{e22}$ ; these are oriented approximately perpendicular to one another. In the latter group  $H^{e21}$  and  $H^{e22}$  are displaced 0.043 (5) and 0.049 (5) Å, respectively in the same direction from the least-squares plane through the remaining 4 atoms. The geometry of the glutamine amide group is very similar to that observed in L-asparagine  $\cdot \text{H}_2\text{O}$  (Ramanadham *et al.*, 1972; Verbist *et al.*, 1972). Bond lengths in this group agree to 0.01 Å and bond angles to 1.5°, excluding values involving hydrogen which are expected to show significant variation due to hydrogen bonding.

### Hydrogen bonding and packing

The structure is stabilized by a three-dimensional network of  $N-\text{H}\cdots\text{O}$  hydrogen bonds as shown in Fig. 2, which illustrates the packing in one unit cell. There are five unique hydrogen bonds, one for each hydrogen attached to nitrogen; distances and angles in the hydrogen bonds are given in Table 5. The five  $N-\text{H}\cdots\text{O}$  bonds are all significantly bent and are distributed over

five neighboring molecules, resulting in a complicated hydrogen-bonding pattern. An interesting feature here is the approximate coplanarity of the hydrogen bonds  $C^\delta-O^{\epsilon 1}\cdots H^2$ ,  $N^{\epsilon 2}-H^{\epsilon 21}\cdots O^{\epsilon 1}$ , and  $N^{\epsilon 2}-H^{\epsilon 22}\cdots O^1$  around the amide group.  $H^2$ ,  $O^1$  and  $O^{\epsilon 1}$  all lie within 0.5 Å of the amide group plane. The slight non-planarity of the amide group mentioned above is such as to make the hydrogen bonds involving  $H^{\epsilon 21}$  and  $H^{\epsilon 22}$  more nearly linear.

There is a systematic inverse correlation of N-H and H $\cdots$ O distances for the ammonium group; this type of correlation has been observed to be quite general for N-H $\cdots$ O hydrogen bonds in amino acids. The N-H bonds in the amide group are approximately 0.02 Å

shorter than would be predicted from a curve of N-H vs. H $\cdots$ O distances for 16 amino acids we have studied by neutron diffraction. This result is expected, for an  $sp^2$  hybridized nitrogen should form slightly shorter N-H bonds than an  $sp^3$  nitrogen. A similar difference in N-H bond lengths was found for the amino and guanidinium groups in L-arginine.2H<sub>2</sub>O (Lehmann, Verbist, Hamilton & Koetzle, 1973).

The C-O distances in the carboxyl group are unequal: C-O<sup>2</sup> is 0.022 (4) Å longer than C-O<sup>1</sup>, reflecting the fact that O<sup>2</sup> accepts two hydrogen bonds while O<sup>1</sup> accepts only one. We also observe that the angle C $\alpha$ -C-O<sup>1</sup> is approximately 4° larger than C $\alpha$ -C-O<sup>2</sup>, implying that C-O<sup>1</sup> possesses more double-bond

Table 5. Distances (Å) and angles (°) in the hydrogen bonds

N-H $\cdots$ O-C	N-H	H $\cdots$ O	N $\cdots$ O	$\angle$ N-H $\cdots$ O	$\angle$ H $\cdots$ O-C
N—H <sup>1</sup> $\cdots$ O <sup>2</sup> —C	1.040 (4)	1.854 (5)	2.866 (3)	163.3 (4)	127.1 (2)
N—H <sup>2</sup> $\cdots$ O <sup>ε1</sup> —C <sup>δ</sup>	1.023 (4)	1.941 (5)	2.948 (3)	167.3 (3)	162.5 (3)
N—H <sup>3</sup> $\cdots$ O <sup>2</sup> —C	1.045 (4)	1.752 (4)	2.772 (3)	164.2 (4)	126.8 (2)
N <sup>ε2</sup> —H <sup>ε22</sup> $\cdots$ O <sup>1</sup> —C	1.008 (5)	1.919 (5)	2.911 (3)	167.3 (4)	159.3 (2)
N <sup>ε2</sup> —H <sup>ε21</sup> $\cdots$ O <sup>ε1</sup> —C <sup>δ</sup>	1.001 (4)	2.088 (4)	2.937 (3)	141.3 (4)	108.0 (2)

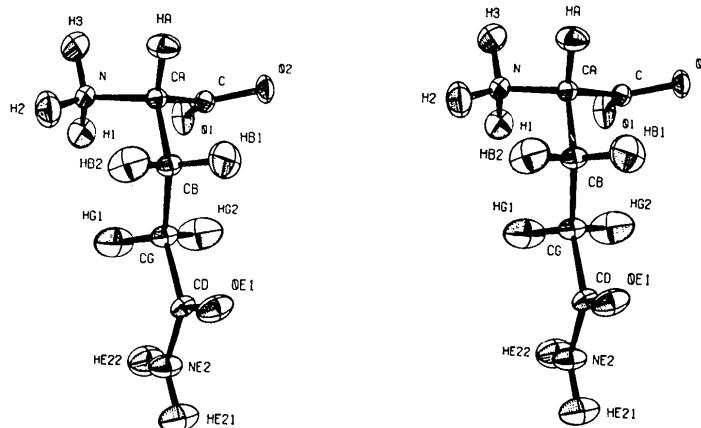


Fig. 1. Stereoview of the glutamine molecule with thermal ellipsoids drawn to enclose 50 % probability.

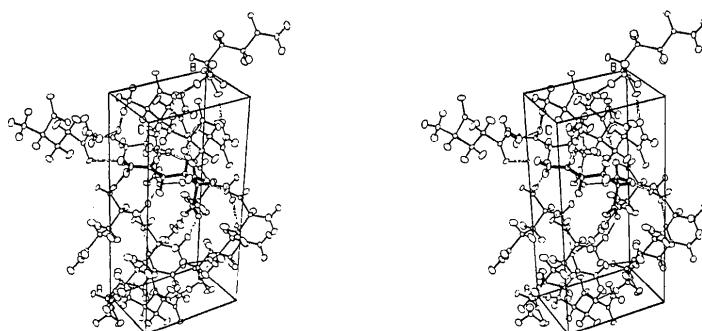


Fig. 2. Stereoview of the packing in one unit cell, with hydrogen bonds drawn open and covalent bonds solid. Thermal ellipsoids drawn to enclose 30 % probability.

character than does C–O<sup>2</sup>. Our results here disagree with those of Cochran & Penfold (1952) who concluded that C–O<sup>1</sup> was apparently shorter than C–O<sup>2</sup>.

There is no evidence for formation of an intramolecular hydrogen bond between the ammonium and carboxyl groups. The  $\alpha$ -nitrogen lies 0.34 Å from the plane of the carboxyl group, while the ammonium group is rotated approximately 30° from the orientation which would place H<sup>1</sup> and O<sup>1</sup> in an eclipsed conformation, and the contact H<sup>1</sup>...O<sup>1</sup> is 2.365 (5) Å. This value is only slightly less than 2.4 Å, the sum of van der Waals radii for hydrogen and oxygen, assuming a radius of 1.0 Å for hydrogen as suggested by Baur (1972).

### Thermal motion

In order to obtain the best geometrical parameters, the nonhydrogen atoms in the molecule were assumed to behave as a rigid body whose motion was described in terms of T, L and S tensors (Schomaker & Trueblood, 1968). The largest principal axis of L corresponds to an r.m.s. librational amplitude of 2.9°, while the r.m.s. difference between observed and calculated thermal parameters  $u_{ij}$  is 0.004 Å<sup>2</sup>. This latter value may be compared to the average  $\sigma(u_{ij})=0.0008$  Å<sup>2</sup> from the least-squares refinement to give an estimate of the magnitude of non-rigid body motions present. The calculated rigid-body librations were used to derive corrections to bond lengths for the non-hydrogen atom backbone and the corrected distances are included in Table 3. Bond lengths involving hydrogen were corrected for thermal motion with the minimum correction of Busing & Levy (1964), which has been shown to give good results in the case of L-lysine·HCl·2H<sub>2</sub>O (Koetzle, Lehmann, Verbist & Hamilton, 1972), and in other amino acids.

An additional rigid-body calculation was carried out for the NH<sub>3</sub><sup>+</sup> group in order to estimate the magnitude of torsional motion for this group. C<sup>α</sup>, N, H<sup>1</sup>, H<sup>2</sup> and H<sup>3</sup>

were included in the rigid body, and no constraints were applied to the motion based on symmetry. The fit is quite good, with  $\overline{4u_{ij}^2}^{1/2}=0.002$  Å<sup>2</sup>, and the maximum principal axis of L lies along C<sup>α</sup>–N with an r.m.s. amplitude of 7.6 (7)°. With a harmonic oscillator approximation to a threefold cosine-hindered rotor (Schlempfer *et al.*, 1971), this librational amplitude can be shown to correspond to a librational frequency of 420 cm<sup>-1</sup> and to a rotational barrier of 9.8 kcal/mole. These values are typical of frequencies and barriers derived for hydrogen-bonded NH<sub>3</sub><sup>+</sup> groups in other amino acids.

### References

- BAUR, W. H. (1972). *Acta Cryst. B* **28**, 1456–1465.
- BEAUCAGE, D. R., KELLEY, M. A., OPHIR, D., RANKOWITZ, S., SPINRAD, R. J. & VAN NORTON, R. (1966). *Nucl. Instrum. Methods*, **40**, 26–44.
- BUSING, W. R. & LEVY, H. A. (1964). *Acta Cryst. A* **17**, 142–146.
- COCHRAN, W. & PENFOLD, B. R. (1952). *Acta Cryst. A* **5**, 644–653.
- IUPAC-IUB COMMISSION ON BIOCHEMICAL NOMENCLATURE (1970). *J. Mol. Biol.* **52**, 1–17.
- KOETZLE, T. F., LEHMANN, M. S., VERBIST, J. J. & HAMILTON, W. C. (1972). *Acta Cryst. B* **28**, 3207–3214.
- LEHMANN, M. S., HAMILTON, W. C. & LARSEN, F. K. (1972). ACA Meeting Abstracts, No. 09, Albuquerque, New Mexico.
- LEHMANN, M. S., VERBIST, J. J., HAMILTON, W. C. & KOETZLE, T. F. (1973). *J. Chem. Soc. Perkin II*, pp. 133–137.
- RAMANADHAM, M., SIKKA, S. K. & CHIDAMBARAM, R. (1972). *Acta Cryst. B* **28**, 3000–3005.
- SCHLEMPER, E. O., HAMILTON, W. C. & LA PLACA, S. J. (1971). *J. Chem. Phys.* **54**, 3990–4000.
- SCHOMAKER, V. & TRUEBLOOD, K. N. (1968). *Acta Cryst. B* **24**, 63–76.
- VERBIST, J. J., LEHMANN, M. S., KOETZLE, T. F. & HAMILTON, W. C. (1972). *Acta Cryst. B* **28**, 3006–3013.
- ZACHARIASEN, W. H. (1967). *Acta Cryst. A* **23**, 558–564.